

# ”The Validity of the Monocentric City Model in a Polycentric Age”

US Metropolitan Areas in 1990, 2000 and 2010

Dani Arribas-Bel and Fernando Sanz-Gracia

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## 1 Code Notebook

This document presents the code and steps necessary to reproduce the results in the paper “*The Validity of the Monocentric City Model in a Polycentric Age: US Metropolitan Areas in 1990, 2000 and 2010*”, by Dani Arribas-Bel and Fernando Sanz-Gracia, forthcoming in the journal *Urban Geography*. If you want to cite the paper or use any of the code and/or results in it, please use the following citation:

```
@article{arribasbel_sanzgracia_centersUS,
  author = "Arribas-Bel, Daniel and Sanz-Gracia, Fernando",
  journal = "Urban Geography",
  title = "{The Validity of the Monocentric City Model in a Polycentric Age:
  US Metropolitan Areas in 1990, 2000 and 2010}",
  year = "2014",
  volume = "",
  pages = {}
}
```

### 1.1 Access and software requirements

```
In [43]: %matplotlib inline
import os
import pandas as pd
import employment_centers_tools as tools
```

### 1.2 Data

Employment data for 1990 and 2000 comes from the “[Census 2000 Special Tabulation Product 64](#)” (`stp64`), which offers tract- to-tract commuting flows for the whole country. We consider only tracts within boundaries of the MSAs studied and sum over inflows to obtain employment numbers at the tract level. For 2010, there is no `stp64` so we use the [Census Transportation Planning Products \(CTPP\)](#) 5-year small area data, which is based on ACS 2006-2010 Census Data and provides employment counts at the tract level for 2010.

Since it is not clear to the authors whether it is legal to redistribute original Census data (particularly when the `stp64` is not available as a free download), **the raw dataset used for this paper is not included**. However, in order to illustrate how the process was carried out, below we show the structure of the data and how that is entered into the code to identify employment centers. This should allow users who have accessed the original data from the Census to replicate our results. We do provide the output of the center identification in the form of shapefiles (one per MSA per year). These can be found in the repository where this notebook and other code is hosted.

We store employment data in `csv` files, using a separate one for each MSA for each year. The raw format of these files is as follows, where the top of the file for MSA 10180 in 1990 is shown:

```
In [14]: !head /Users/dani/AAA/LargeData/T-CentersData/attributes/3-empDen/empDen1990/10180.csv
```

```
gisjoin2,emp,area,dens,densEB
48044100102,2855.0,45088315.8862,6.33201738385e-05,6.32174061116e-05
48044100105,357.0,16138974.527,2.212036455e-05,2.20337682175e-05
48044100104,272.0,18017057.8625,1.5096804488e-05,1.56769988243e-05
48044100107,565.0,18156353.5203,3.11185833305e-05,3.18837079257e-05
48044100108,1484.0,25713732.5898,5.77123525267e-05,5.73154004704e-05
48044100106,342.0,25402742.4933,1.34631132875e-05,1.35600665231e-05
48044100110,1095.0,12176093.1624,8.99303237414e-05,8.84590480255e-05
48044100112,1339.0,20690727.6527,6.47149787323e-05,6.86296980824e-05
48044100113,2364.0,30324316.5093,7.79572393421e-05,7.73806762075e-05
```

These files can be loaded and combined for 1990 in one DataFrame with the following code:

```
In [8]: empF90 = '/Users/dani/AAA/LargeData/T-CentersData/attributes/3-empDen/empDen1990/'
emp90 = pd.concat([tools.load_msa_data(empF90+f, y90=True) for f in os.listdir(empF90)])
```

```
In [16]: emp90.info()
```

```
<class 'pandas.core.frame.DataFrame'>
Index: 54994 entries, G48044100102 to G04001900049
Data columns (total 3 columns):
emp          54994 non-null float64
Shape_area   54994 non-null float64
msa          54994 non-null object
dtypes: float64(2), object(1)
```

```
In [12]: emp90.head()
```

```
Out[12]:
```

	emp	Shape_area	msa
gisjoin2			
G48044100102	2855	4.188840	m10180
G48044100105	357	1.499359	m10180
G48044100104	272	1.673839	m10180
G48044100107	565	1.686780	m10180
G48044100108	1484	2.388883	m10180

Similar steps can be taken for 2000:

```
In [9]: empF00 = '/Users/dani/AAA/LargeData/T-CentersData/attributes/3-empDen/empDen2000/'
emp00 = pd.concat([tools.load_msa_data(empF00+f) for f in os.listdir(empF00)])
```

Steps for 2010 are slightly different as the data are collected from a different source. We begin with a csv that looks as follows:

```
In [25]: !head /Users/dani/AAA/LargeData/ctpp/data2010/tractPOW_all.csv
```

```
head: /Users/dani/AAA/LargeData/ctpp/data2010/tractPOW_all.csv: No such file or directory
```

```
In [6]: emp10_link = '/Users/dani/AAA/LargeData/ctpp/data2010/tractPOW_all.csv'
shp_link = '/Users/dani/AAA/LargeData/nhgis/shapeFiles/nhgis0019_shapefile_t12010_us_tract_2010'
cty2msa = pd.read_csv('cty2msa.csv', names=['cty', 'msa'], index_col=0, squeeze=True)
shpW_out = '/Users/dani/AAA/LargeData/nhgis/shapeFiles/nhgis0019_shapefile_t12010_us_tract_2010'
emp10 = pd.read_csv(emp10_link)[['GISJOIN', 'emp', 'Shape_area']]
emp10['Shape_area'] = emp10['Shape_area'] * 0.000001 #Area in Km2
emp10['msa'] = emp10['GISJOIN'].apply(lambda x: \
    tools.msafy('c'+x[1:3]+x[4:7], cty2msa))
emp10 = emp10.dropna() # Only tracts in MSA && w/ employment
```

Once all the data are loaded, it is very straightforward to replicate Table 1 in the paper:

```
In [10]: table = pd.DataFrame()
         for year, emp in [(1990, emp90), (2000, emp00), (2010, emp10)]:
             minTpMSA = emp.groupby('msa').count()['emp'].min()
             maxTpMSA = emp.groupby('msa').count()['emp'].max()
             meanTpMSA = emp.groupby('msa').count()['emp'].mean()
             summary = pd.Series({'N. MSAs': len(emp['msa'].unique()), \
                                 'N. Tracts': len(emp), \
                                 'Min. N. Tracts/MSA': minTpMSA, \
                                 'Max. N. Tracts/MSA': maxTpMSA, \
                                 'Average. N. Tracts/MSA': meanTpMSA})
             table[year] = summary
         table.reindex(['N. MSAs', 'N. Tracts', 'Min. N. Tracts/MSA', \
                        'Max. N. Tracts/MSA', 'Average. N. Tracts/MSA'])
```

```
Out[10]:
```

	1990	2000	2010
N. MSAs	359.00000	359.00000	359.00000
N. Tracts	54994.00000	52329.00000	58808.00000
Min. N. Tracts/MSA	17.00000	10.00000	13.00000
Max. N. Tracts/MSA	4565.00000	4493.00000	4510.00000
Average. N. Tracts/MSA	153.18663	145.763231	163.810585

### 1.3 Center identification

We use the data we have just loaded and combine them with geographical data to derive spatial relationships (these are needed to run the main identification algorithm). We use shapefiles of the tracts for each year downloaded from [NHGIS](#) and projected to state plane so areas can be calculated (not included in the repository either for similar redistribution reasons as with employment data).

Since the data are not shipped in the repository, the code below will only run if you provide it separately. This implies you need to point `cent_inYY` (replace YY by the year) to the folder where you have separate files for each MSA. Once you run the code below, shapefiles and `.gal` files will be created in the `cent_outYY` directory.

```
In [11]: import numpy as np
         import multiprocessing as mp
         #pool = mp.Pool(mp.cpu_count())
         seed = np.random.seed(1234)
```

For 1990, this would identify the centers (make sure to modify `cent_in90` and `cent_out90` to fit your setup):

```
In []: cent_in90 = '/Users/dani/AAA/LargeData/T-CentersData/shapes/msaTracts1990polygonsSP/'
       cent_out90 = '/Users/dani/Desktop/test90/'

       emp90['dens_raw'] = (emp90['emp'] * 1.) / emp90['Shape_area']
       emp90['GISJOIN'] = emp90.index
       pars = [(emp90[emp90['msa']==msa], cent_in90+msa[1:]+'.shp', cent_out90) \
               for msa in emp90['msa'].unique()]

       out = pool.map(tools.act_on_msa, pars[:2])
```

For 2000, this would identify the centers (make sure to modify `cent_in00` and `cent_out00` to fit your setup):

```
In []: cent_in00 = '/Users/dani/AAA/LargeData/T-CentersData/shapes/msaTracts2000polygonsSP/'
cent_out00 = '/Users/dani/Desktop/test00/'

emp00['dens_raw'] = (emp00['emp'] * 1.) / emp00['Shape_area']
emp00['GISJOIN'] = emp00.index
pars = [(emp00[emp00['msa']==msa], cent_in00+msa[1:]+'.shp', cent_out00) \
        for msa in emp00['msa'].unique()]

out = pool.map(tools.act_on_msa, pars[:2])
```

For 2010, this would identify the centers (make sure to modify `cent_in10` and `cent_out10` to fit your setup). Note that in this case, the way the shapefile is passed is slightly different because we are using 2010 data that we have sourced differently.

```
In []: cent_out10 = '/Users/dani/Desktop/test10/'
shp_link = '/Users/dani/AAA/LargeData/nhgis/shapeFiles/nhgis0019_shapefile_tl2010_us_tract_2010/'

emp10['dens_raw'] = (emp10['emp'] * 1.) / emp10['Shape_area']
emp10['GISJOIN'] = emp10.index
pars = [(emp10[emp10['msa']==msa], shp_link, cent_out10) \
        for msa in emp10['msa'].unique()]

out = pool.map(tools.act_on_msa, pars[:2])
```

## 1.4 Evolution tables

Once this has run, we have created three folders that contain shapefiles with the identified centers in each MSA in each period. A compilation of these can be found in the repository in the `geojson` format, one for each year. The output can be reloaded again and used to recreate Tables 2-4 in the paper.

```
In [54]: cent_out90 = '/Users/dani/Desktop/test90/'
cent_out00 = '/Users/dani/Desktop/test00/'
cent_out10 = '/Users/dani/Desktop/test10/'

# Collect all results
years = [1990, 2000, 2010]
links = [cent_out90, cent_out00, cent_out10]
db = []
for year, link in zip(years, links):
    temp = pd.concat(map(lambda l: pd.read_csv(l, index_col=0), \
        [link+l for l in os.listdir(link) if l[-4:]=='csv']))
    temp['year'] = year
    db.append(temp)
db = pd.concat(db)
```

```
In [55]: tab = tools.evol_tab(db)
tab
```

```
Out[55]: 1990      2000      2010
empty          empty      empty      1
          monocentric monocentric  15
          polycentric polycentric   2
          polycentric monocentric   1
monocentric empty      monocentric   1
          monocentric empty      2
```

```

                monocentric    148
                polycentric    22
polycentric    monocentric     7
                polycentric    23
polycentric    monocentric     1
                monocentric    29
                polycentric    11
                polycentric    monocentric     6
                polycentric    90
dtype: int64

```

Which we can re-format to make it look more appealing:

```

In [37]: print "Table 2"
tab2 = tab.groupby(level=[0, 1]).sum().unstack().fillna(0)
tab2['Total 1990'] = tab2.sum(axis=1)
tab2.loc['Total 2000', :] = tab2.sum(axis=0)
tab2

```

Table 2

```

Out[37]: 2000      empty  monocentric  polycentric  Total 1990
1990
empty           1          17           1           19
monocentric     1         172           30          203
polycentric     0          41           96          137
Total 2000      2         230          127          359

```

```

In [42]: print "Table 3"
tab3 = tab.groupby(level=[1, 2]).sum().unstack().fillna(0)
tab3['Total 2000'] = tab3.sum(axis=1)
tab3.loc['Total 2010', :] = tab3.sum(axis=0)
tab3

```

Table 3

```

Out[42]: 2010      empty  monocentric  polycentric  Total 2000
2000
empty           1           1           0           2
monocentric     3         192           35          230
polycentric     0           14          113          127
Total 2010      4         207          148          359

```

```

In [41]: print "Table 4"
tab4 = tab.groupby(level=[0, 2]).sum().unstack().fillna(0)
tab4['Total 2000'] = tab4.sum(axis=1)
tab4.loc['Total 2010', :] = tab4.sum(axis=0)
tab4

```

Table 4

```

Out[41]: 2010      empty  monocentric  polycentric  Total 2000
1990
empty           1          16           2           19
monocentric     2         156           45          203
polycentric     1           35          101          137
Total 2010      4         207          148          359

```

## 1.5 Spatial analysis of polycentricity

For this section, we also rely on two additional layers. One is the centroid of the MSAs, and is derived from the previous shapefiles by performing a simple GIS operation and projecting the output into the EPSG:2146. The second one is an additional shapefile downloaded from NHGIS as well that contains the polygons of the US continental lower states. Since this is very common and is used only for aesthetic purposes, the shapefile is not provided either.

For this illustration, we use only 99 random permutations to build the empirical distribution of both the global and local versions of Moran's I. The results presented in the paper, however, are based on 99,999 and thus are more reliable (although take much longer to run).

```
In [93]: import pysal as ps
        msa_pts_link = '/Users/dani/Desktop/msas_points2163.shp'
        states_link = '/Users/dani/Desktop/states2163.shp'
        years = [1990, 2000, 2010]
        perms = 99

In [94]: msas = db.groupby(['msa', 'year']).apply(\
            lambda x: x.groupby('center_id').ngroups).unstack()
        ord = ['m'+i for i in ps.open(msa_pts_link.replace('.shp', '.dbf')).by_col('CBSA')]
        msas = msas.reindex(ord)
```

### 1.5.1 Moran's I

Moran's I indices that are used to justify further spatial analysis in the paper. The idea is to explore whether the spatial arrangement of polycentricity follows any specific pattern discernible from spatial randomness. Rejecting the null points to such case.

```
In [69]: morans = []
        for k in [9]:
            w = ps.knnW_from_shapefile(msa_pts_link, k=k)
            w.transform = 'R'
            m_90 = ps.Moran(msas[1990].astype(float), w, permutations=perms)
            m_00 = ps.Moran(msas[2000].astype(float), w, permutations=perms)
            m_10 = ps.Moran(msas[2010].astype(float), w, permutations=perms)
            t90_00 = (msas[2000] - msas[1990]).astype(float)
            m_90_00 = ps.Moran(t90_00, w, permutations=perms)
            t00_10 = (msas[2010] - msas[2000]).astype(float)
            m_00_10 = ps.Moran(t00_10, w, permutations=perms)
            out = pd.DataFrame({'I': [m_90.I, m_00.I, m_10.I, m_90_00.I, m_00_10.I], \
                                'p': [m_90.p_sim, m_00.p_sim, m_10.p_sim, m_90_00.p_sim, m_00_10.p_sim], \
                                'var': ['m_90', 'm_00', 'm_10', 'm_90_00', 'm_00_10']})
            out['w'] = 'w' + str(k)
            morans.append(out)
        morans = pd.concat(morans).pivot('var', 'w')
        morans
```

```
Out [69]:
```

	I	p
w	w9	w9
var		
m_00	0.061979	0.03
m_00_10	0.036066	0.09
m_10	0.074421	0.01
m_90	0.036422	0.11
m_90_00	0.020798	0.12

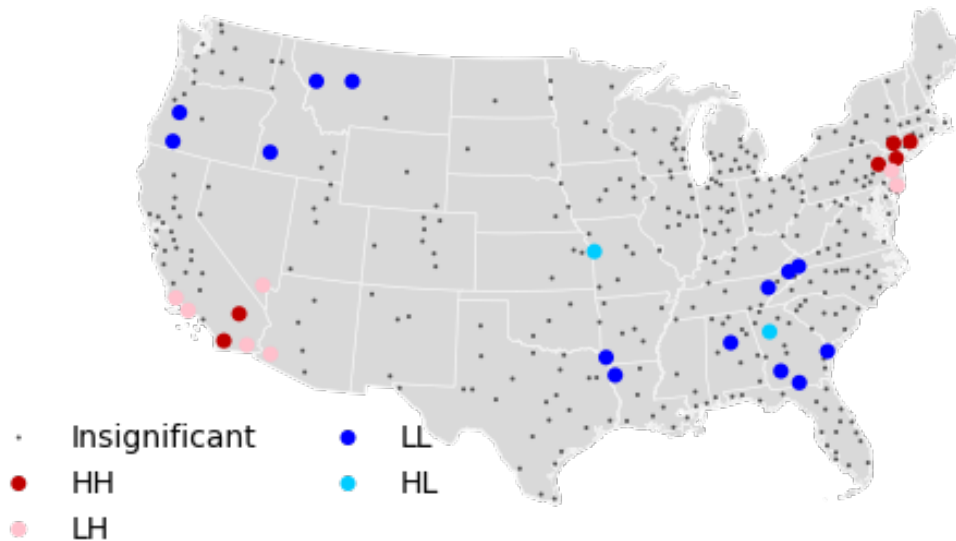
```

In [86]: # Within a loop in case the user wants to explore different values for k
for k in [9]:
    w = ps.knnW_from_shapefile(msa_pts_link, k=k)
    w.transform = 'R'
    m_90 = ps.Moran_Local(msas[1990].astype(float).values, w, permutations=perms)
    p = tools.plot_lisa(m_90, st=states_link, msa=msa_pts_link, title='Centers in 1990')
    m_00 = ps.Moran_Local(msas[2000].astype(float).values, w, permutations=perms)
    p = tools.plot_lisa(m_00, st=states_link, msa=msa_pts_link, title='Centers in 2000 | Map 1')
    m_10 = ps.Moran_Local(msas[2010].astype(float).values, w, permutations=perms)
    p = tools.plot_lisa(m_10, st=states_link, msa=msa_pts_link, title='Centers in 2010')

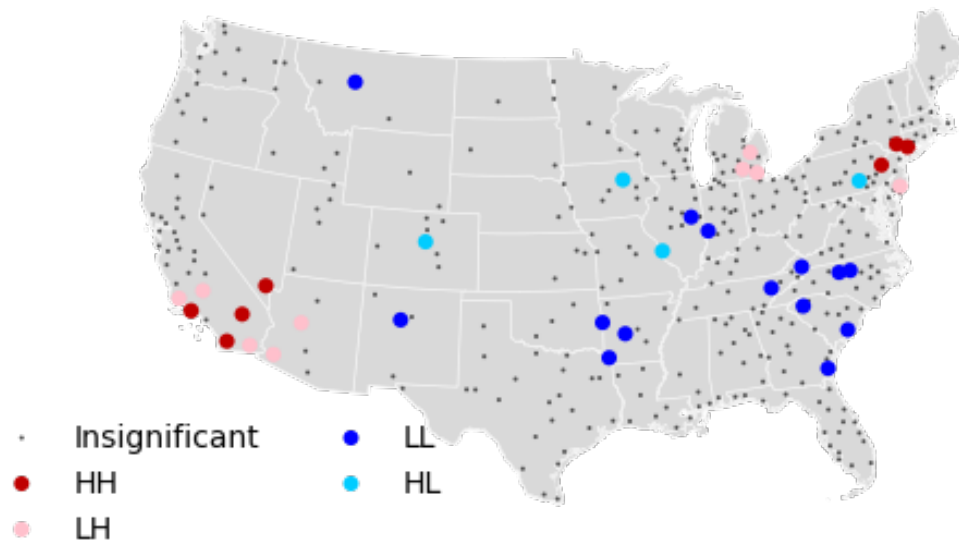
    t90_00 = (msas[2000] - msas[1990]).astype(float).values
    m_90_00 = ps.Moran_Local(t90_00, w, permutations=perms)
    p = tools.plot_lisa(m_90_00, st=states_link, msa=msa_pts_link, \
                        title='Change in centers 1990-2000')
    t00_10 = (msas[2010] - msas[2000]).astype(float).values
    m_00_10 = ps.Moran_Local(t00_10, w, permutations=perms)
    p = tools.plot_lisa(m_00_10, st=states_link, msa=msa_pts_link, \
                        title='Change in centers 2000-2010 | Map 2')

```

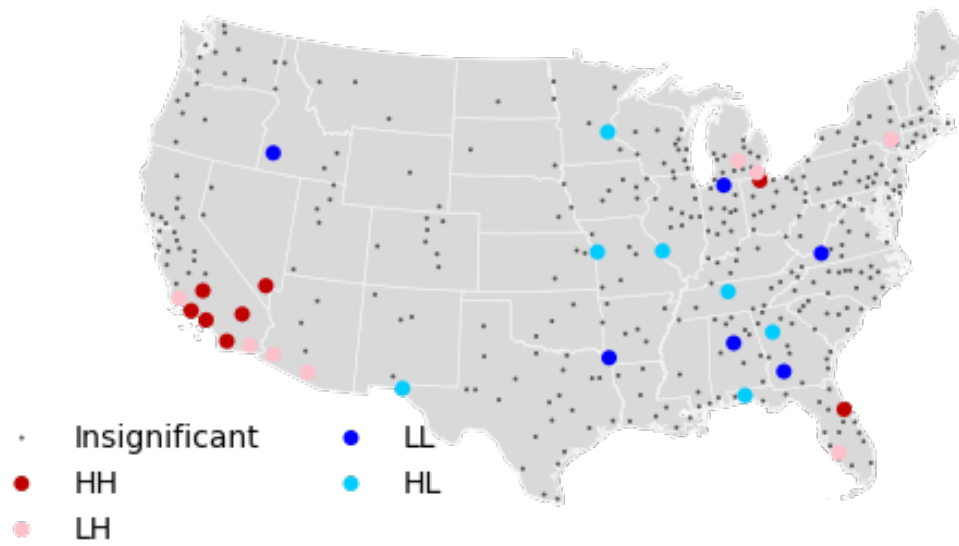
Centers in 1990



Centers in 2000 | Map 1

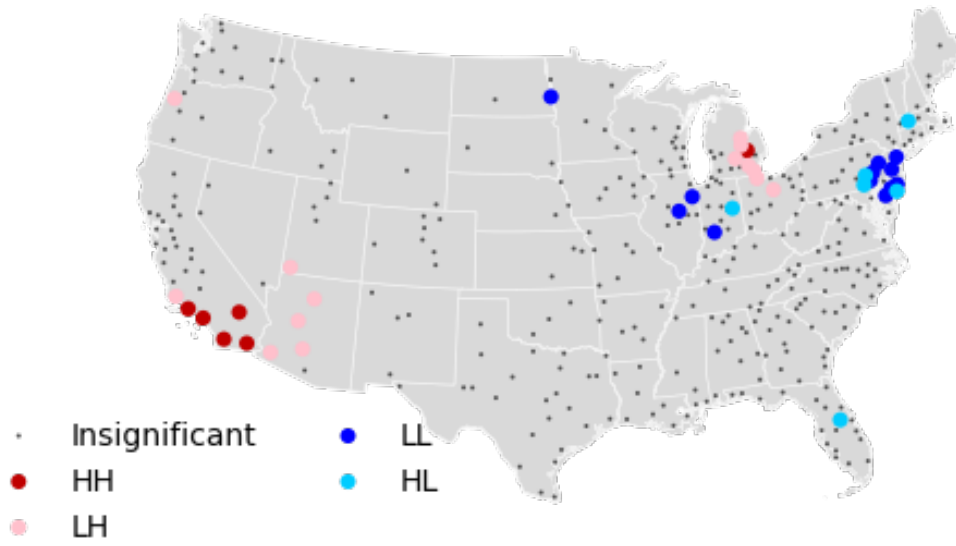


Centers in 2010

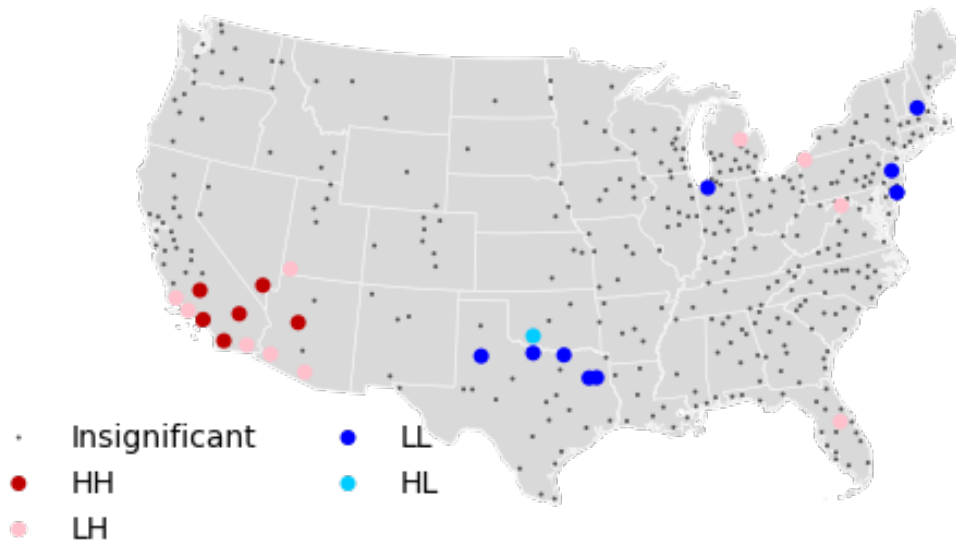




Change in centers 1990-2000



Change in centers 2000-2010 | Map 2



## 1.6 City Characterization

Results from the random labeling analysis performed in Section 6 and presented in Tables 5 to 8 of the paper. This basically calculates average values for several variables by type of MSA (no centers, monocentric, polycentric) and tests for statistically significant differences between the averages by using the random labeling

technique, borrowed from [Rey & Sastré-Gutiérrez \(2010\)](#). The variables employed are: total population, employment density, income per capita and percentage of people below the poverty line.

Population, income and poverty are also obtained from NHGIS and not redistributed in this context. Employment and density are calculated from the previous data shown in the sections above.

```
In [121]: pop00F='/Users/dani/AAA/LargeData/T-CentersData/attributes/5-pop/pop2000/'
pop00 = pd.concat([tools.load_soc_ec(pop00F+l) for l in os.listdir(pop00F)])
pop00 = pop00.groupby('msa').sum()

sec00F='/Users/dani/AAA/LargeData/T-CentersData/attributes/7-socEc/socEc2000/'
sec00 = pd.concat([tools.load_soc_ec(sec00F+l) for l in os.listdir(sec00F)])
sec00 = sec00.groupby('msa').sum().drop('incpc', axis=1)

msas_soec = db.groupby(['msa', 'year']).apply(\
    lambda x: x.groupby('center_id').ngroups)\
    .apply(tools._monopoly).unstack()
msas_soec = msas_soec.join(pop00).join(sec00)
msas_soec = msas_soec.join(db[db['year']==2000][['emp', 'Shape_area', 'msa']]\
    .groupby('msa').sum())
msas_soec['emp_dens'] = msas_soec['emp'] * 1. / msas_soec['Shape_area']
msas_soec['inc_pc'] = msas_soec['inc'] * 1. / msas_soec['pop']
msas_soec['pct_below'] = msas_soec['below'] * 100. / msas_soec['pop']
msas_soec = msas_soec[[1990, 2000, 2010, \
    'pop', 'emp_dens', 'inc_pc', 'pct_below']]
```

```
In [133]: perms = 99
rl90_00 = tools.do_rl(msas_soec, [1990, 2000], perms)
for var in rl90_00:
    print "\n\t%s"%var
    print rl90_00[var].unstack().fillna('')

print '-----'
rl_tables = []
rl00_10 = tools.do_rl(msas_soec, [2000, 2010], perms)
for var in rl00_10:
    print "\n\t%s"%var
    tab = rl00_10[var].unstack().fillna('')
    print tab
    rl_tables.append(tab)
```

pop			
2000		empty	monocentric
1990			polycentric
empty	57961.0-*	123688.117647-*	79551.0
monocentric	71914.0	188404.046512-**	416521.833333
polycentric		359553.609756	1749223.21875+**
emp_dens			
2000		empty	monocentric
1990			polycentric
empty	3.97835490525	13.8418248027-**	41.5310305712
monocentric	1.7953228977	23.1552069292-**	32.0401867937
polycentric		33.7103582425	78.0635013324+**
inc_pc			

2000	empty	monocentric	polycentric
1990			
empty	18261.7035593	17865.5425507-***	21530.0851026
monocentric	13672.9440721-***	19173.5165033-***	20090.7586838
polycentric		19209.1533279	21906.4143172+***

pct_below			
2000	empty	monocentric	polycentric
1990			
empty	13.1122651438	14.233278484+***	8.09417857726
monocentric	14.5312456545	12.5869946497	12.4074469974
polycentric		12.295737511	11.1312509008-***

---

pop			
2010	empty	monocentric	polycentric
2000			
empty	57961.0	71914.0	
monocentric	122379.666667	197135.020833-***	315223.685714
polycentric		473461.142857	1538691.84956+***

emp_dens			
2010	empty	monocentric	polycentric
2000			
empty	3.97835490525	1.7953228977	
monocentric	24.2420604204	22.4362925013-***	34.8467702828
polycentric		28.1182516111	71.709533095+***

inc_pc			
2010	empty	monocentric	polycentric
2000			
empty	18261.7035593	13672.9440721-*	
monocentric	18383.7643691	18922.0857024-***	20026.9314404
polycentric		20818.9988839	21555.7755371+***

pct_below			
2010	empty	monocentric	polycentric
2000			
empty	13.1122651438	14.5312456545	
monocentric	11.0085750881	12.8765604742+***	11.5922490179
polycentric		12.0246560865	11.3324999094-***

These tables can be presented in a more pleasant way, adding the global averages as well the way they are shown in the paper:

```
In [151]: print "Table 5: Size"
          print "Global average: %.1f"%msas_soec['pop'].mean()
          rl_tables[0]
```

Table 5: Size  
Global average: 640335.4

```
Out[151]: 2010
           empty      monocentric      polycentric
           2000
           empty      57961.0          71914.0
```

monocentric	122379.666667	197135.020833-***	315223.685714
polycentric		473461.142857	1538691.84956+**

```
In [149]: print "Table 6: Density"
print "Global average: %.1f"%msas_soec['emp_dens'].mean()
rl_tables[1]
```

Table 6: Density  
Global average: 39.3

```
Out[149]: 2010          empty          monocentric          polycentric
2000
empty          3.97835490525          1.7953228977
monocentric  24.2420604204  22.4362925013-**          34.8467702828
polycentric          28.1182516111  71.709533095+**
```

```
In [150]: print "Table 7: Income per capita"
print "Global average: %.1f"%msas_soec['inc_pc'].mean()
rl_tables[2]
```

Table 7: Income per capita  
Global average: 19911.8

```
Out[150]: 2010          empty          monocentric          polycentric
2000
empty          18261.7035593          13672.9440721-*
monocentric  18383.7643691  18922.0857024-**          20026.9314404
polycentric          20818.9988839  21555.7755371+**
```

```
In [152]: print "Table 8: Poverty (in %)"
print "Global average: %.1f"%msas_soec['pct_below'].mean()
rl_tables[3]
```

Table 8: Poverty (in %)  
Global average: 12.2

```
Out[152]: 2010          empty          monocentric          polycentric
2000
empty          13.1122651438          14.5312456545
monocentric  11.0085750881  12.8765604742+**          11.5922490179
polycentric          12.0246560865  11.3324999094-**
```